

Compiler Notes

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Chapter 1

Optimizations

- recall 5 phases of compiler: lexer, parser, (type checker, operational semantics), optimization, translate to target machine code (ASM)
- modern compilers: most actions happen in optimization phase

1.1 Intermediate Representation (IR)

- provides an intermediate level of abstraction
- has more details than the source code
 - Optimizations happen on the IR
- but less details than the target (machine, or assembly code) ...

1.1.1 Three-Address IR

- every instructions has the form

```
x := y op z    # binary , e.g., x:= y + z
x := op y      # unary  , e.g.,  y := -y
```

– y,z are registers or constants

- compound expression $x + y * z$ is translated to:

```
t1 := y * z
t2 := x + t1
```

1.2 Optimization Overview

- Largest (most complicated) phase of compiler
- Where to perform optimization
 - On AST:
 - * Pro: Machine independent
 - * Con: Too high level (cannot too too much optimization)

- On ASM:
 - * Pro: low level, expose many details and optimization opportunities
 - * Con: machine dependent, reimplement the optimization if switch to a different target
- On IR:
 - * Pro: machine independent
 - * Pro: low level enough to expose optimization opportunities

1.2.1 3-address code

```

P -> S P | S
S -> id := id op id    #op are things like +, -, * ...
|   id := op id
|   id := id
|   push id
|   id := pop
|   if id relop id goto L    # relop < = > ...
|   L:
|   jump L

```

1.2.2 Basic Block

A **basic block** is a maximal sequence of instructions with

- no label (except in the first instruction)
- no jump (except in the last instruction)

```

L:
....
....
....
jump M

```

- cannot jump into a middle of a block (except at the beginning)
- cannot jump out of a middle of a block (except at the end)
- Consider this basic block

```

L:                               (1)
t := 2 * x                       (2)
w := t + x                       (3)
if w > 0 goto to L'             (4)

```

- Because (3) executes AFTER (2), we can
 - change (3) to $w := 3 * x$
 - remove 2 (assuming t is not used anywhere else)

1.2.3 Control-Flow Graph

- A **Control-Flow graph** (CFG) is a directed graph
 - basic blocks are nodes
 - edge from a block A to a block B if the execution can pass from the last instruction in A to the first instruction in B
 - * E.g., the last instruction is ‘jump Lb’
 - We can represent the body of a method (or function or procedure) as a CFG
- Goals of optimization
 - Minimize Execution time (most often)
 - Minimize Code size (e.g., embedded system)
 - Minimize Operations to Disks (e.g., Database)
 - Minimize Power Consumption (e.g., sensor, smart phones, watches)
 - Important: Need to preserve the semantics of the program
 - * whatever results we get from the original one, we need to get the same results in the optimization version

1.2.4 3 granularity levels of optimizations

1. Local optimizations: Apply optimization to basic block in isolation
 2. Global optimizations: Apply optimization to the CFG in isolation
 3. Inter-procedural optimizations: Apply optimization to the entire program (consists multiple methods and functions)
- Most compilers do (1: local), many do (2: global), very few do (3)
 - In practice, people DO NOT use the fanciest/most optimized algorithms
 - They have low pay-offs
 - Too hard/complex to implement (this might affect correctness preservation)
 - Their analyses too expensive during compilation time
 - **Goal:** maximum benefit for minimum cost

1.3 Local Optimization: (optimization applied to basic block)

1.3.1 Algebraic Simplifications

- can delete some statements

```
x := x + 0    # or x:= 0 + x
x := x * 1    # or x:= 1 * x
```

- can simplify some statements

```
x := x * 0    =>    x := 0
x := y ** 2   =>    x := y * y    # make call to library (expensive operation),
                                # usually has loop to do exp
x := x * 8    =>    x := x << 3    # on some machines << is faster than *modern computers)
x := x * 15   =>    x := x << 4; x := t - x
```

1.3.2 Constant Folding

- operations on constants can be computed at compile time
 - if there is a statement `x := y op z`, where `y` and `z` are constants, then `y op z` can be computed at compile time
 - Example:

```
x := 2 + 3 => x := 5
if 2 > 0: code => if true: code => code
if 2 < 0: code => if false: code => code never get executed
```

- Constant folding can be dangerous (gives different results)
 - Compile program on machine X
 - Run the compiled program on machine Y
 - X and Y might have diff architectures

```
* a := 1.5 + 3.7 => a := 5.2 on X
* a := 1.5 + 3.7 => a: 5.1999 on Y
* a = "1.5 + 3.7"
```

1.3.3 Unreachable Examples

- debug macro

```
#define DEBUG 0
if (DEBUG) then ....
```

- libraries (not everything in the library are used)

1.3.4 Single Assignment form

- each register (id) occurs only ONCE on the left-hand side of an assignment

```
x := z + y      =>   b := z + y
a := x          =>   a := b
x := 2 * x      =>   x := 2 * b
```

- converting to SA could be tricky in many code regions (e.g., within loops)

1.3.5 Optimizations on SA blocks

Common Subexpression Elimination

- if a basic block is in SA form
- a definition `x :=` is the first use of `x` in a block
- then when 2 assignments have the same rhs, then they compute the same value

```
x := y + z      =>   x:= y + z
...            =>   ...
w := y + z      =>   w:= x
```

Copy Propagation

```
b := z + y => b := z + y
a := b      => a := b
x := 2 * a  => x := 2 * b
```

- only useful for enabling other optimizations
 - eliminate dead code
 - constant folding
- Example

```
a := 5          a := 5
x := 2 * a      ==> x := 10
y := x + 6      y := 16
t := x * y      t := 160
```

Dead code elimination

- if `w:=rhs` appears in a basic block and `w` does not appear anywhere else, then `w:=rhs` is dead and can be removed

Summary for local optimization

- each local optimization does little thing by itself
- but they interact (performing an optimization enables another)
- compiler: repeat optimization until no other improvement is possible
 - but usually compilers has heuristics to determine when to stop

Inclass Example

```
# initial
a := x ** 2
b := 3
c := x
d := c * c
e := b * 2
f := a + d
g := e * f

# final version
a := x * x
g := 12 * a
....
```

Peephole Optimization

- **Peephole:** is a short sequence of (usually contiguous) instructions
- The compiler replaces that peephole (sequence) with another one that is equivalent (but faster)

– $i_1, \dots, i_n \rightarrow j_1, \dots, j_m$

- Peephole is often performed on assembly code
- Examples

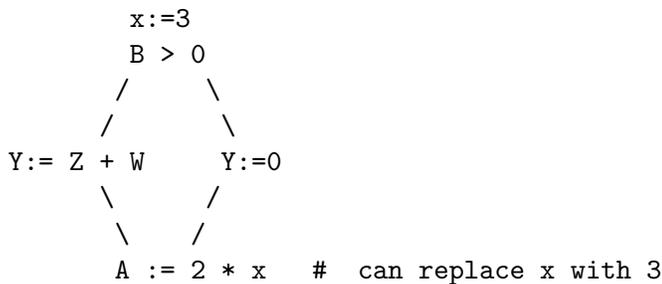
```
# 1
a := b          => a := b
b := a
```

```
# 2
a := a + 1      => a := a + 3
a := a + 2
```

- Just like local optimization, peephole opt must be applied repeatedly for maximum effect
- “Optimization” is misnamed
 - Compiler does not produce an “optimal” version
 - it only attempts to improve the code by repeatedly applying various optimization techniques

1.4 Global Optimization

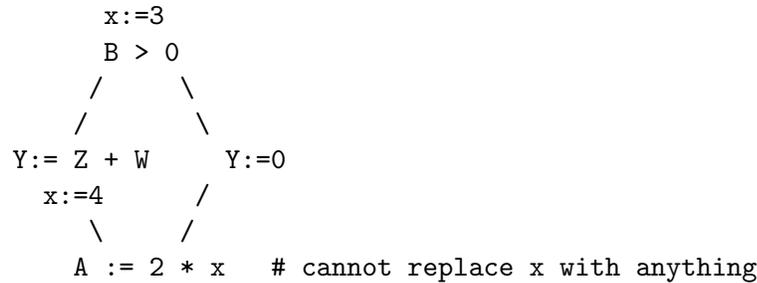
1.4.1 Dataflow Analysis



- To replace a use of a variable x by a constant k , we need to ensure that
 - on **every path** to the use of x , the last assignment to x has the form

$x := k$

- dataflow analysis (global)
 - an analysis of the entire control flow graph

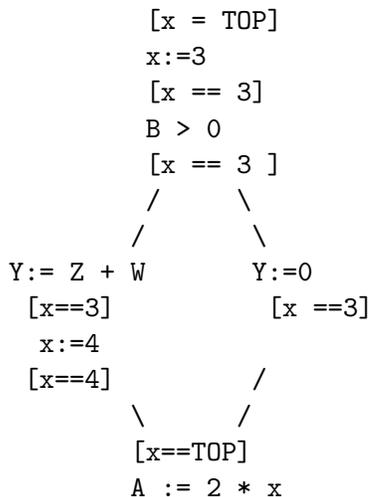


- Global optimization tasks (e.g., dataflow analysis) have shared traits
 - to make some optimization at a location **X**, then we need to know the properties at **X** (we need to know the invariant properties at **X**)
 - requires knowledge of the *entire* program
 - it's OK to be *conservative*. If the compiler doesn't know what is true, then it will say it doesn't know.
 - * always safe to say it doesn't know.

1.5 Constant Propagation

- To replace a use of a variable **x** by a constant **k**, we need to ensure that
 - on **every path** to the use of **x**, the last assignment to **x** has the form **x := k**
- The property that we are interested in is checking if **x := k** (at some location **L**)?
- 3 Values that the analysis can give at location **L** about the property **x:=k**
 - **BOTTOM** \perp : this location is NOT reachable
 - **k**: **x == k**
 - **TOP** \top : no idea what **x** could be here

Example



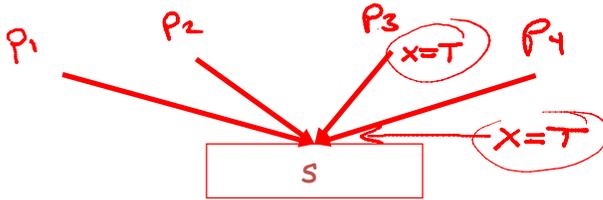
- Given global constant information, it is easy to perform the optimization

- Simply inspect the $x = ?$ associated with a statement using x
- If x is constant at that point replace that use of x by the constant
- But how do we compute the properties $x = ?$

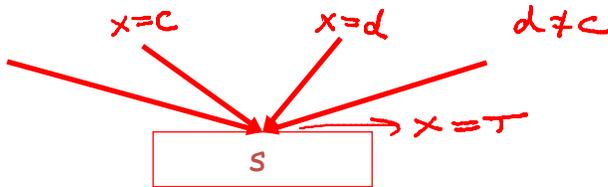
Constant Propagation Rules

- The analysis of a complicated program can be expressed as a combination of *simple rules* relating the *change in information* between adjacent statements.
- Idea: “push” or “transfer” information from one stmt to the next
 - For each stmt s , compute information about the value of x before and after s
 - $C(s, x, in)$ = value of x before s
 - $C(s, x, out)$ = value of x after s
- Define transfer functions (rules) that transfer information one statement to another
 - In the following rules, let statement s have immediate predecessor statements p_1, \dots, p_n
 - Rules 1-4 defined below relate the out of one statement to the in of the next statement
 - Rules 5-8 defined below relate the in of a statement to the out of the same statement

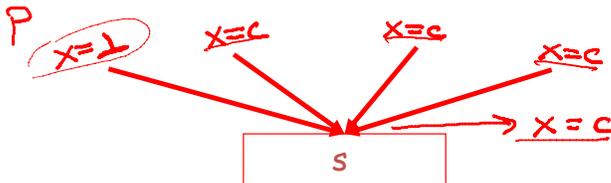
1. R1: if $C(p_i, x, out) = S$ for any i , then $C(s, x, in) = S$



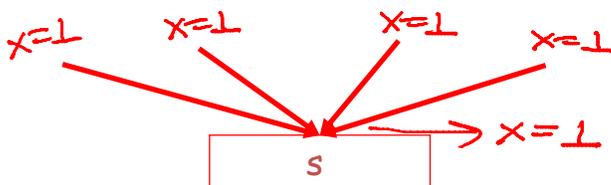
2. R2: if $C(p_i, x, out) = c$ & $C(p_j, x, out) = d$ & $d \neq c$ then $C(s, x, in) = S$



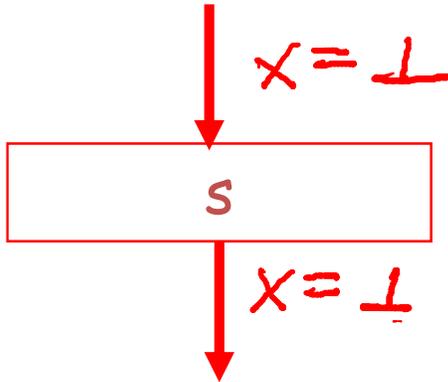
3. R3: if $C(p_i, x, out) = c$ or \perp for all i , then $C(s, x, in) = c$



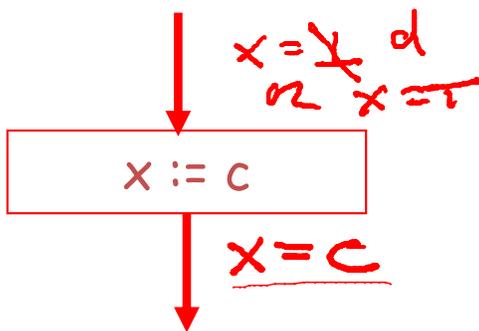
4. R4: if $C(p_i, x, out) = \perp$ for all i , then $C(s, x, in) = \perp$



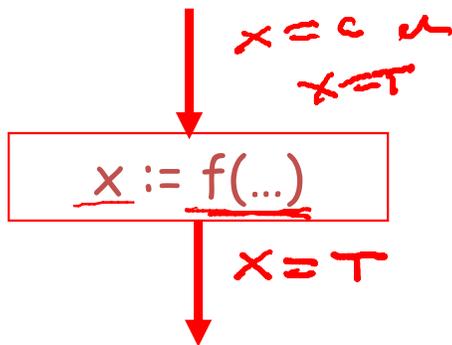
5. R5: $C(s, x, \text{out}) = \perp$ if $C(s, x, \text{in}) = \perp$



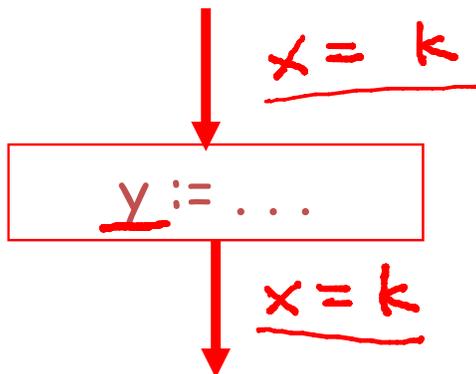
6. R6: $C(x := c, x, \text{out}) = c$ if c is a constant



7. R7: $C(x := f(\dots), x, \text{out}) = \top$

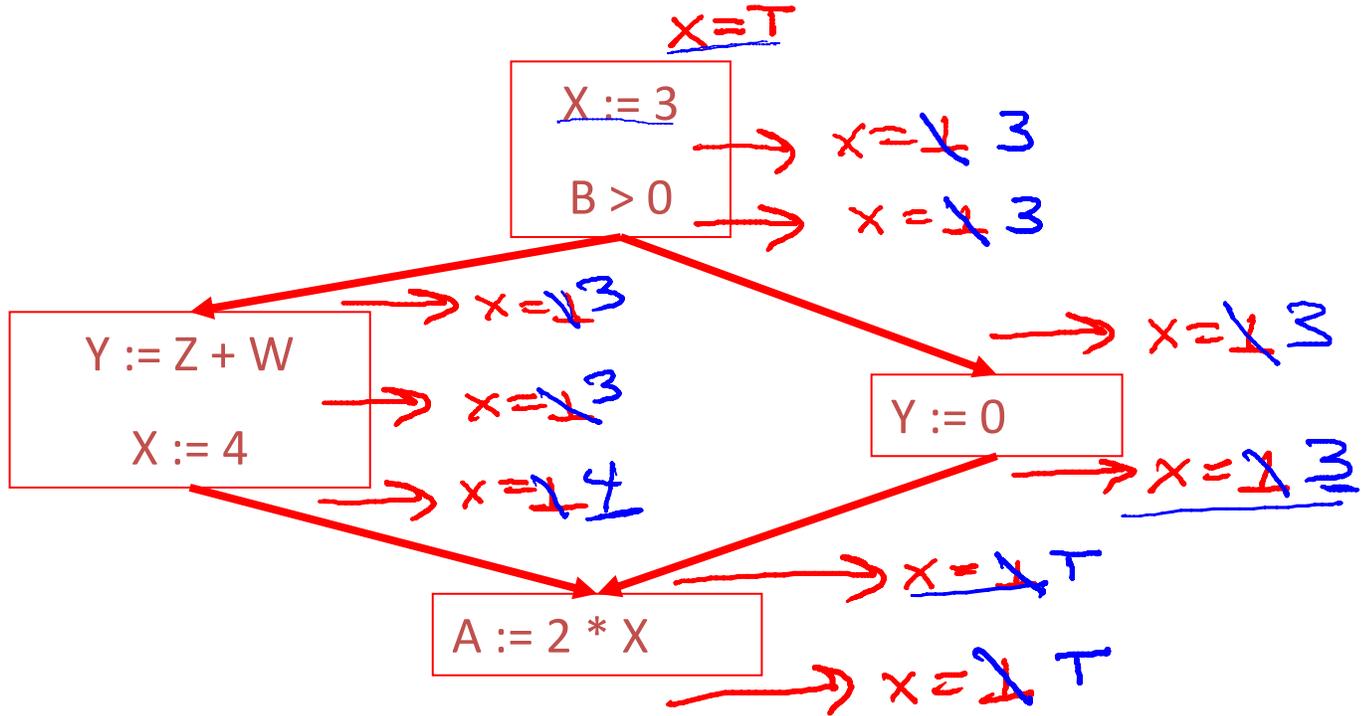


8. R8: $C(y := \dots, x, \text{out}) = C(y := \dots, x, \text{in})$ if $x \neq y$



1.5.1 Algorithm

1. For every entry s to the program, set $C(s, x, \text{in}) = \top$
2. Set $C(s, x, \text{in}) = C(s, x, \text{out}) = \perp$ everywhere else
3. Repeat until all points satisfy rules 1-8:
 - Pick s not satisfying 1-8 and update using the appropriate rule



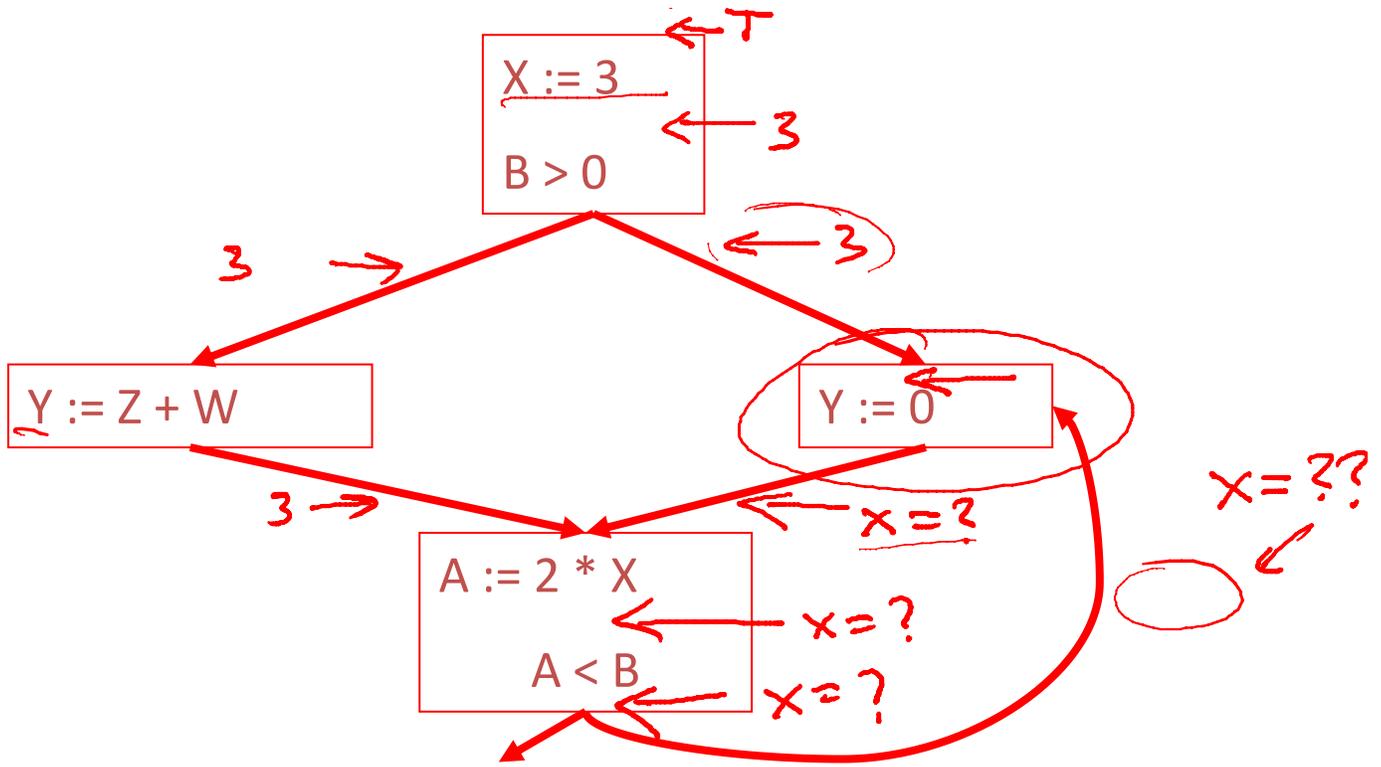
1.5.2 Orderings

- We can simplify the presentation of the analysis by ordering the (abstract) values: $\perp < c < \top$
- \top is the greatest value, \perp is the least, and all constants are in between and *incomparable*
- Let **lub** be the *least-upperbound* in this ordering
- Rules 1-4 can be written using **lub**:

$$C(s, x, \text{in}) = \text{lub } C(p, x, \text{out}) \mid p \text{ is a predecessor of } s$$

- Lub also explains why the algorithm terminates
 - Values start as \perp and only increase
 - \perp can change to a constant, and a constant to \top
 - Thus, $C(s, x, \text{in/out})$ can change at most *twice*
 - Thus the constant propagation algorithm is *linear* in (non-loop) program size
- Number of steps = Number of $C(\dots)$ values computed * 2 = Number of program statements * 4

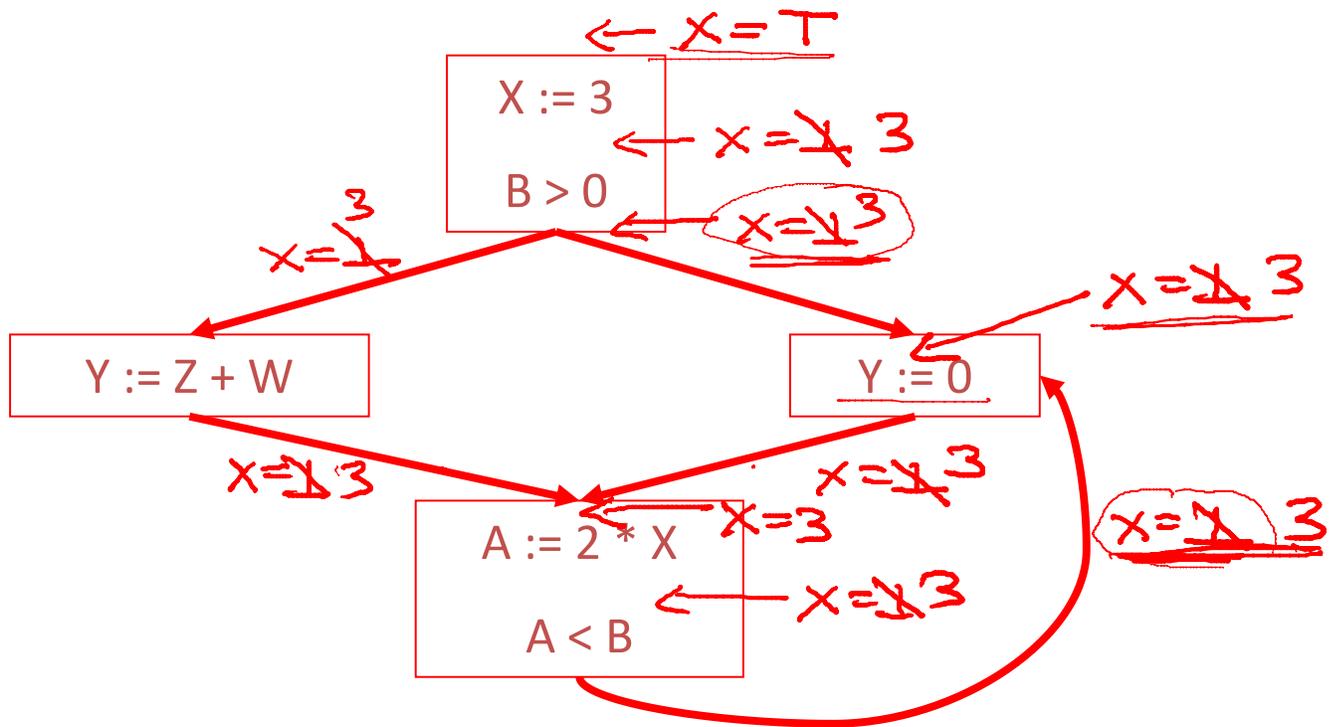
1.5.3 Loops



- Consider the statement $Y := 0$
- To compute whether X is constant at this point, we need to know whether X is constant at the two predecessors
 - $X := 3$
 - $A := 2 * X$
- Cycle: but the info for $A := 2 * X$ depends on its predecessors, including $Y := 0$

Sol : Initialization of everything to \perp helps break the cycle

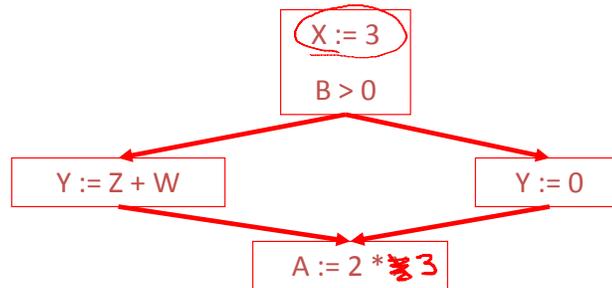
- Because of cycles, all points must have values at all times
- Intuitively, assigning some initial value allows the analysis to break cycles
- The initial value \perp means “So far as we know, control never reaches this point”



1.6 Liveness Analysis

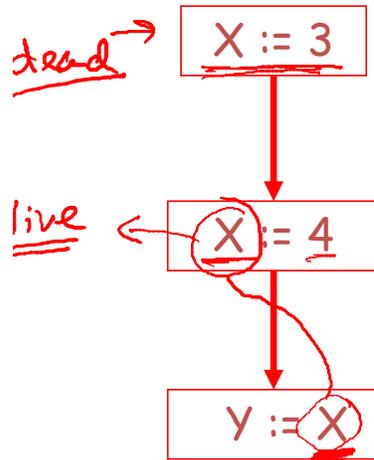
1.6.1 Definition

- Once constants have been globally propagated, we want to eliminate dead code



– After constant propagation, $X := 3$ is dead (assuming X not used elsewhere)

- Example

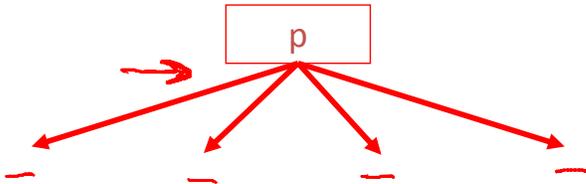


- The first value of x is *dead* (never used)
- The second value of x is *live* (may be used)
- Def: a variable x is *live* at statement s if
 - There exists a statement s' that uses x
 - There is a path from s to s' that has no *intervening assignment* to x
 - A statement $x := \dots$ is dead code if x is dead after the assignment
 - * Dead statements can be deleted from the program

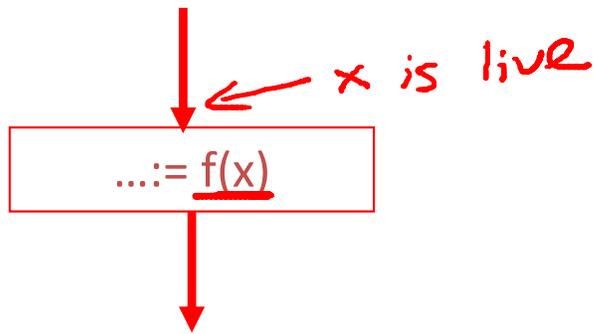
Liveness Rules

- We can express liveness in terms of *information transferred* between adjacent statements, just as in copy propagation
- Liveness is simpler than constant propagation, since it is a boolean property (true or false)
- Define transfer functions (rules) that transfer information one statement to another

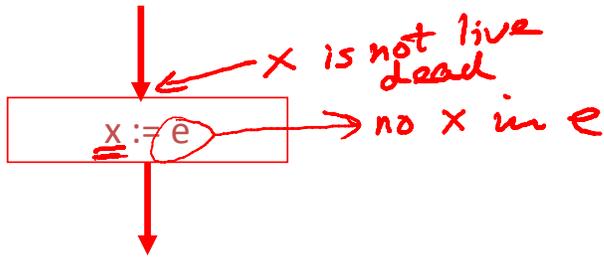
1. R1: $L(p, x, out) = \bigvee L(s, x, in) \mid s \text{ a successor of } p$



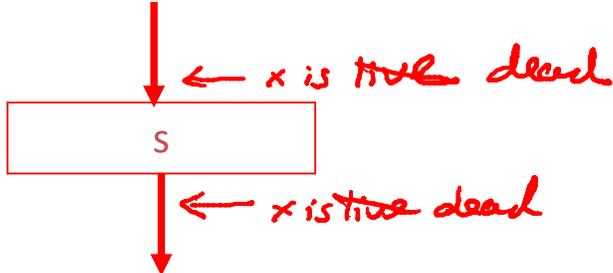
2. R2: $L(s, x, in) = \text{true}$ if s refers to x on the rhs



3. R3: $L(x := e, x, in) = false$ if e does not refer to x

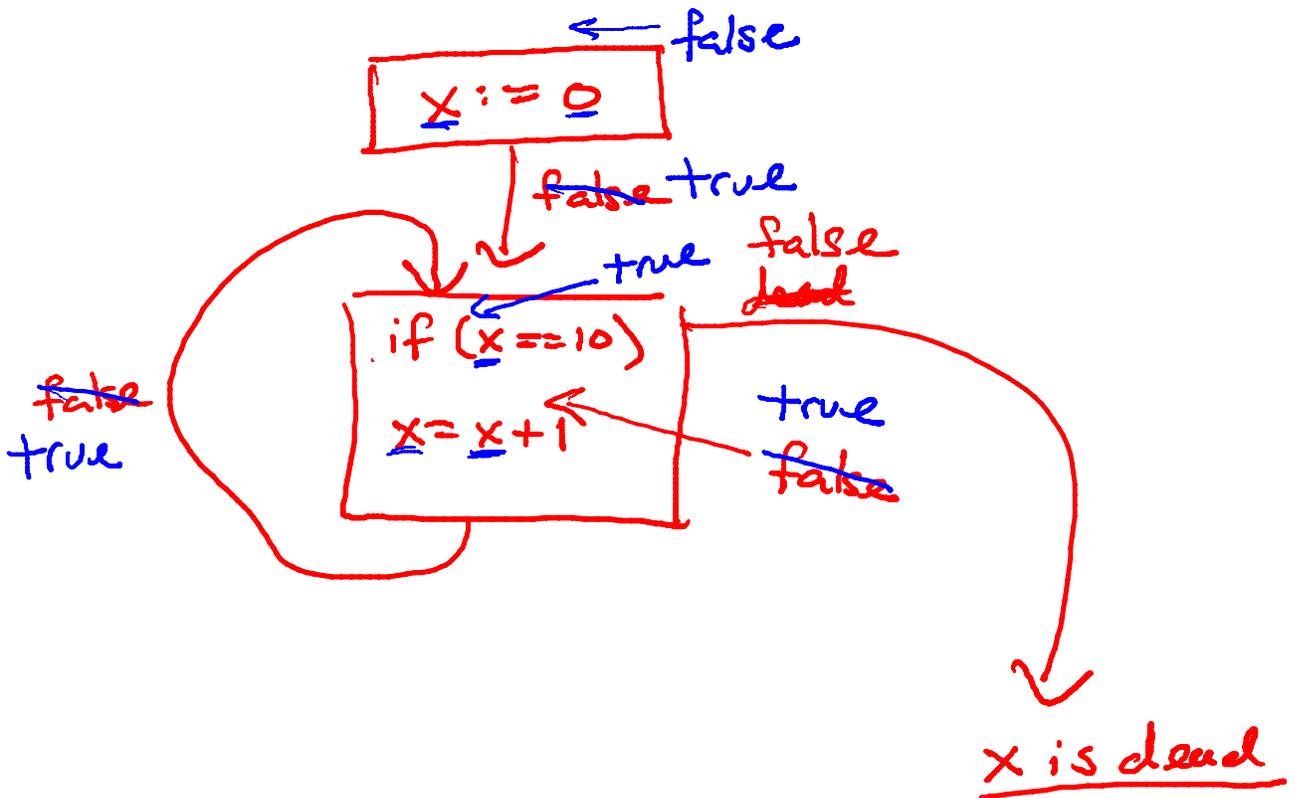


4. R4: $L(s, x, in) = L(s, x, out)$ if s does not refer to x



1.6.2 Algorithm

1. Let all $L(\dots) = false$ initially
2. Repeat until all statements s satisfy rules 1-4:
 - Pick s not satisfying 1-4 and update using the appropriate rule



Termination

- A value can change from false to true, but not the other way around
- Each value can change only once, so termination is guaranteed

1.6.3 Summary

2 kinds of analysis

1. Constant propagation is a **forwards analysis**: information is pushed from inputs to outputs
2. Liveness is a **backwards analysis**: information is pushed from outputs back towards inputs

Chapter 2

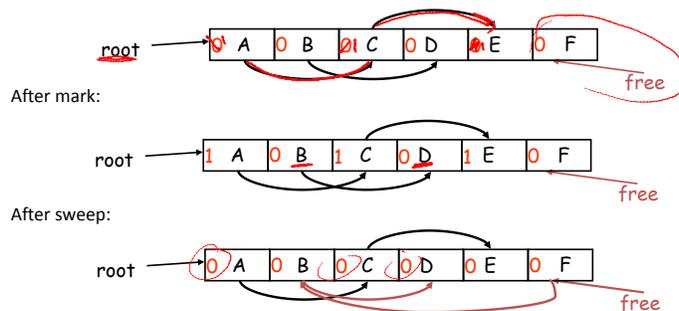
Memory Management / Garbage Collection

- new: allocate space
- Garbage Collection
- C and C++ programs have many memory-related bugs
 - double free , use after free, dangling pointer
 - overwrite part of data structure by accidents ...
 - OpenSSL Heartbleed
 - Apache Optionbleed
- Memory bugs are *REALY* hard to find
 - $x = 3$
 - $y = 3$
 - bugs happen in the FUTURE
- Automatic Memory Management
 - 1950s ...
 - Become mainstream with popularity of Java (1990's, Gosling?)
- Managing Memory
 - When an object is created, its runtime environment will allocate unused space for the object (new X)
 - after a while there will be no more unused space
 - Automatic MM attempt to determine which space is UNUSED (garbage) and automatically delete (free) it
 - How do we will when an object or space that object points to will never be used again ?
- Reachability Algorithms
 - A object X is reachable iff

- * something (a variable) points to it
- * another reachable object Y contains a pointer to X
- We can find all reachable objects by starting with all variables and follow their pointers
- An unreachable object can never be used, i.e., garbage

2.1 Mark and Sweep

- Mark and Sweep: when memory runs out, GC executes two phases:
 1. mark phase: traces all reachable objects
 2. sweep phase: collects garbage object
- Every object will have an extra bit: the *mark* bit
- Mark phase
 - initially all mark bit is 0
 - start from some root object (variable), traverse everything that variable can reach (point to)
 - * mark those as 1
- Sweep phase
 - look at objects with mark bit 0 (garbage)
 - add them to a free list
 - objects with mark bit 1 reset to 0



- A serious problem with the mark phase
 - it is invoked when we are out of space
 - yet it needs space to construct the todo list
 - the size of the todo list is unbounded so we cannot reserve space for it a priori
- Solution:
 - The todo list is used as an auxiliary data structure to perform the reachability analysis
 - There is a trick that allows the auxiliary data to be stored in the objects themselves
 - * **pointer reversal:** when a pointer is followed it is reversed to point to its parent
 - Similarly, the free list is stored in the free objects themselves

Pros and Cons

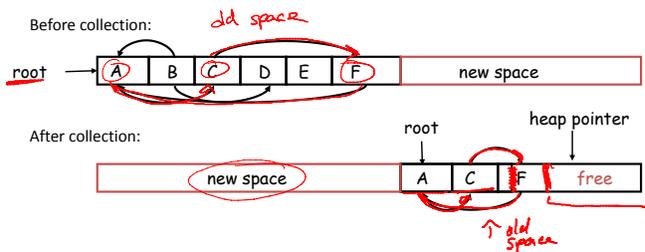
- Cons: Fragment memory
 - Space for a new object is allocated from the new list
 - a block large enough is picked
 - an area of the necessary size is allocated from it
 - the left-over is put back in the free list
- Pros: objects are not moved during GC
 - no need to update the pointers to objects
 - works for languages like C and C++

2.2 Stop and Copy

- Memory is organized into two areas
 - oldspace: used for allocation
 - new space: used as a reserve for GC
- The heap pointer points to the next free word in the old space
- Allocation just advances the heap pointer

Idea

- Starts when the old space is full
- Copies all reachable objects from old space into new space
 - garbage is left behind
 - after the copy phase the new space uses less space than the old one before the collection
- After the copy the roles of the old and new spaces are reversed and the program resumes



- We need to find all the reachable objects, as for mark and sweep
- As we find a reachable object we copy it into the new space
 - And we have to fix *ALL pointers* pointing to it!
- As we copy an object we store in the old copy a **forwarding pointer** to the new copy
 - when we later reach an object with a forwarding pointer we know it was already copied
 - same idea when we move to a new place, we place a forwarding address on the old address

Pros and Cons

- As with mark and sweep, we must be able to tell how large an object is when we scan it
 - and we must also know where the pointers are inside the object
- We must also copy any objects pointed to by the stack and update pointers in the stack
 - this can be an expensive operation
- Pros:
 - Stop and copy is generally believed to be the fastest GC technique
 - Allocation is very cheap (just increment the heap pointer)
 - Collection is relatively cheap
 - * especially if there is a lot of garbage
 - * only touch reachable objects
- Cons: some languages do not allow copying
 - C,C++

2.3 Reference Count

- Rather than wait for memory to be exhausted, try to collect an object when there are no more pointers to it
- **Reference Count:** Store in each object the number of pointers to that object
- Each assignment operation manipulates the reference count

Idea:

- `new` returns an object with reference count 1
- Let `rc(x)` be the reference count of `x`
- Assume `x, y` point to objects `o, p`
- Every assignment `x <- y` becomes:

```
rc(p) <- rc(p) + 1
rc(o) <- rc(o) - 1
if(rc(o) == 0) then free o
x <- y
```

Pros and Cons

- Pros:
 - easy to implement
 - collects garbage incrementally without large pauses in the execution
- Cons:
 - cannot collect circular structures (e.g., circularly linked list)
 - manipulating reference counts at each assignment is very slow

Chapter 3

Cool Extensions / Java

Additional notes

- <https://www.cs.utexas.edu/~tdillig/cs345H/lecture18-6up.pdf>

3.1 Java

- Java: COOL on steroids
- History of Java
 - Began as Oak at SUN
 - * original target set-top devices
 - * Initial development took several years ('91-'94)
 - Retargeted as the Internet language ('94-95)
 - * Every new language needs a “killer app”
 - * Alternatives such as TCL, Python
- Things that Cool does not have (and we will talk about how to extend Cool to add these features)
 - Arrays
 - Exceptions
 - Interfaces
 - Coercions
 - Dynamic Loading & Initialization
 - Threads
 - Summary
- Designs are based on
 - Modula-3 for types
 - Eiffel, ObjectiveC, C++ for Object orientation, interfaces
 - Lisp for Java's dynamic flavor (reflection)
- Java is a BIG language
 - Lots of features
 - Lots of feature *interactions*

3.2 (Java) Arrays

- Assume $B < A$. The following Java code

```
B[] b = new B[10];
A[] a = b;
a[0] = new A();
b[0].aMethodNotDeclaredInA();
```

- pass the type checker
 - but gives runtime type error
 - Thus, java type system is unsound
 - Having multiple *aliases* to updateable locations with different types is *unsound!*
- Standard solution
 - Disallow subtyping through arrays
 - $B < A$ if B inherits from A
 - $C < A$ if $C < B$ and $B < A$
 - $B[] < A[]$ if $B = A$
- Java fixes the problem by checking each array assignment at runtime for type correctness
 - Is the type of the object being assigned compatible with the type of the array?
 - Cons: Adds overhead on array computations
 - Pros: But note that arrays of primitive types, which are more widely-used, are unaffected (because Primitive types are not classes)

3.3 Java Exceptions

- Deep in a section of code, you encounter an unexpected error
 - Out of memory
 - A list that is supposed to be sorted is not, etc.
- Add a new type (class) of exceptions
- Add new forms `try something catch(x) cleanup throw exception`